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Disproof of the mathematical divergence as a part of a millennium problem

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Introduction:

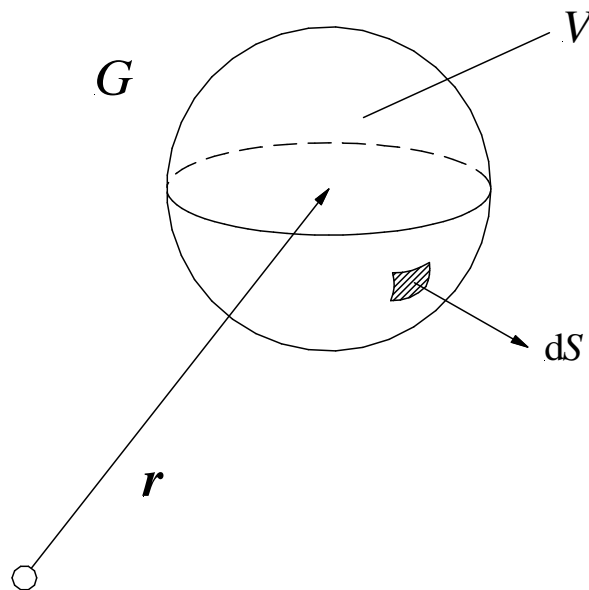
The mathematical divergence has also an influence at the Maxwell-equations and is throughout also of fundamental meaning for the electrodynamics. In the Navier-Stokes-equations has the mathematical divergence also a roll.

1. Illustration

For the independent coordinate definition of the divergence from a vector field \mathbf{F} in a space point \mathbf{r} a territory G (**picture**) with the point \mathbf{r} will be considered, the border of this exists of a closed, simple, piece by piece smoothly surface A . The divergence of the vector field \mathbf{F} in the space point \mathbf{r} is defined through

$$\operatorname{div}\mathbf{F}(\mathbf{r}) = \lim_{V \rightarrow 0} \frac{\oiint \mathbf{F}(\mathbf{r}) \, d\mathbf{S}}{V}$$

in which $\oiint \mathbf{F}(\mathbf{r}) \, d\mathbf{S}$ show the cover integral of the vector field \mathbf{F} through the surface A and V the volume of the territory G which ist closed in from the surface A . At the limit transition the closed surface A shrank to the point \mathbf{r} together.*



Picture: Orientation for the divergence of a vector field

* The whole section similar extracted from: Dubbel, Taschenbuch für den Maschinenbau, 16. Auflage, Springer-Verlag, Seite A 75

2. Universal limit calculation

$$\operatorname{div}F(r) = \lim_{V \rightarrow 0} \frac{\oiint F(r) dS^a}{V} = \lim_{V \rightarrow 0} \frac{\oiint \|F(r)\| \cdot \|dS\| \cos\alpha}{V} = \frac{0}{0} \Rightarrow \text{del'Hospita 1:}$$

$$\|F(r)\| \cos\alpha = \text{const.} = K, K \neq 0 \Rightarrow \oiint K \|dS\| = KA \text{ with}$$

A = Area from the territory G. The territory will now approached through a ball

$\Rightarrow A = 4\pi R^2$ with R = Radius ball. The volume of the ball is V with

$$V = \frac{4}{3} R^3 \pi \Rightarrow R^3 = \frac{3V}{4\pi} \Rightarrow R = \sqrt[3]{\frac{3V}{4\pi}} \Rightarrow A = 4\pi \left(\sqrt[3]{\frac{3V}{4\pi}}\right)^2 = 4\pi \left(\frac{3V}{4\pi}\right)^{2/3} \Rightarrow KA = K 4\pi \left(\frac{3V}{4\pi}\right)^{2/3}$$

$$\text{is del'Hospita 1} \quad \frac{d(\oiint \|F(r)\| \cdot \|dS\| \cos\alpha)}{dV} = \frac{d(KA)}{dV} =$$

$$= \frac{d(K 4\pi (\frac{3V}{4\pi})^{2/3})}{dV} = (K 4\pi (\frac{3V}{4\pi})^{2/3})' = K 4\pi \frac{2}{3} (\frac{3V}{4\pi})^{-1/3} = \frac{K 4\pi 2}{3} \sqrt[3]{\frac{4\pi}{3V}} \text{ with } V \rightarrow 0 \Rightarrow$$

$$\lim_{V \rightarrow 0} \frac{K 4\pi 2}{3} \sqrt[3]{\frac{4\pi}{3V}} = \pm \infty \Rightarrow \operatorname{div}F(r) = \pm \infty$$

And this makes no sense, if the divergence is always $\pm \infty$, if $K \neq 0$.

Therefore no different solutions are possible and this is a disproof.

^{a)} F(r) and dS are vectors

3. List of literature

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And i thank to all that i have to thank.